


VIII Annual Seminar on Risk, Financial Stability and Banking



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Price Differentiation and Menu Costs in Credit Card Payments

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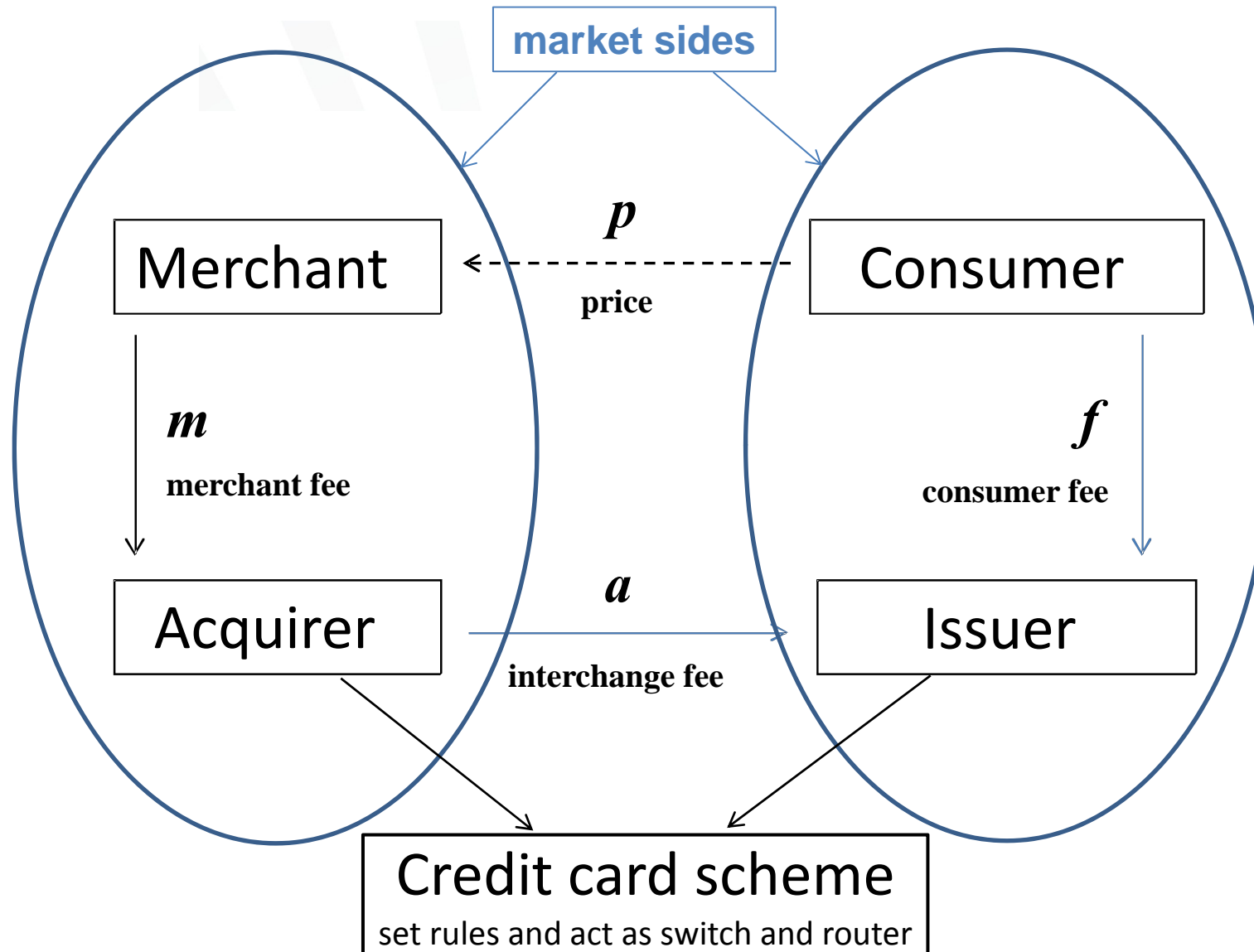
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Market structure

(four-party scheme)



Main reference

- Rochet&Wright (JBF 2010) : “Credit card interchange fees”
 - “General tendency for merchants to adhere to the setting of a single price regardless of the form of payment.”
 - “Part of the reason for this is the no-surcharge rules adopted by the credit card systems.”
 - “If retailers were able and willing to discriminate based on the use of store credit, they maybe able to induce consumers to use credit cards and store credit efficiently.”
 - “One important direction for future research: to extend our model to allow retailers to offer different prices when consumers make use of store credit.”

Main aspects of R&W's approach

- Model the credit functionality of a credit card: much of the existing literature treats payment card as debit card;
- Consider the store credit as a competitor of the credit card (in addition to cash);
- Cardholders can not internalize retailers' net avoided costs from credit card usage (merchant fee minus cost of store credit);
- Model the excessive usage of credit cards: increase interchange fee can reduce consumers aggregated welfare;

Results under non surcharge rule

Rochet&Wright (JBF 2010)

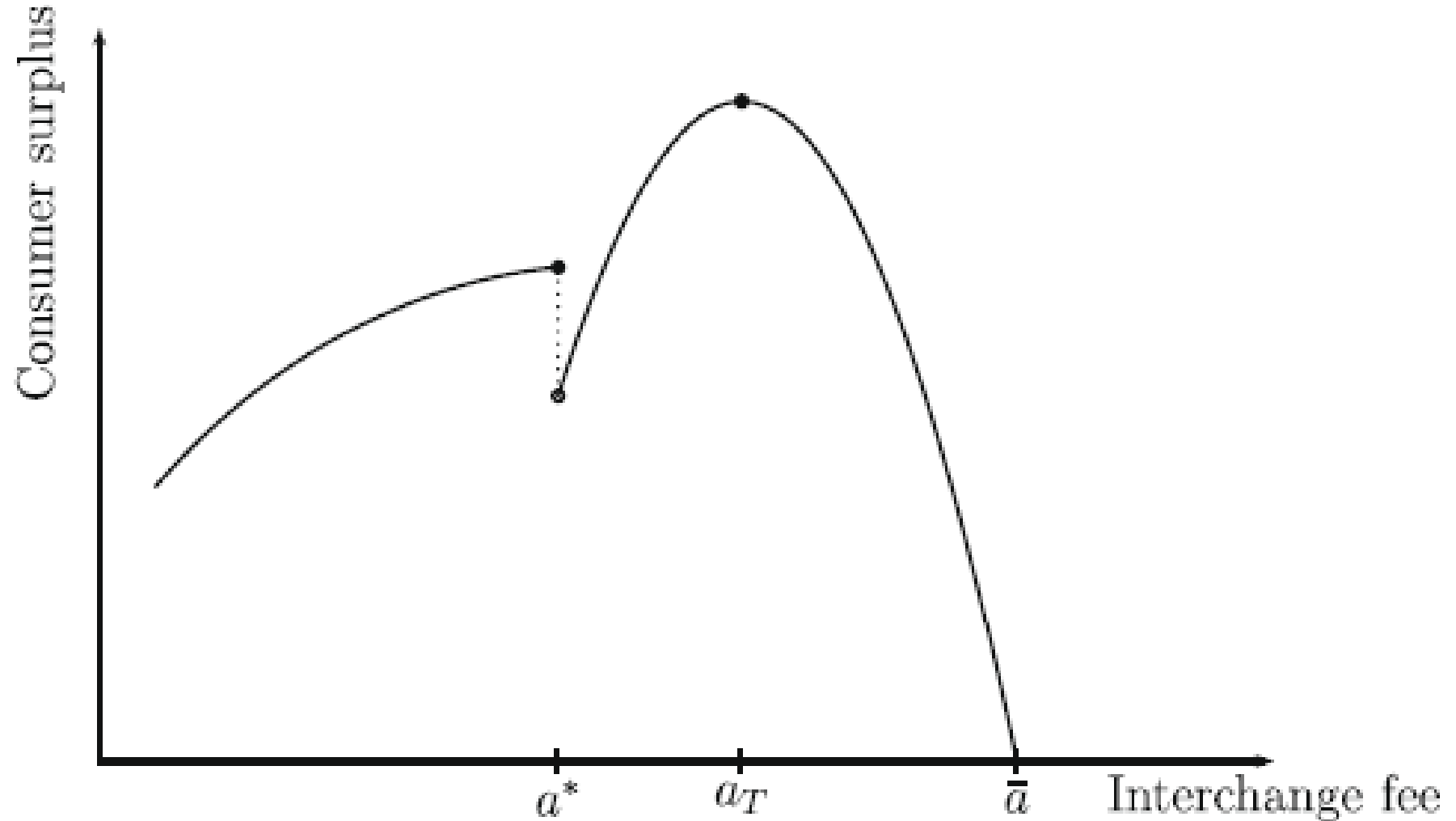
- Single price equilibrium;
- Interchange fee is not neutral:
 - It affects card usage (real allocations);
 - There is an endogenous cap:
 - The monopoly card network raise it to increase credit card usage and maximize profit;
 - If sufficiently high, merchants do not adhere to the credit card system;
 - The cap value exceeds the level that maximizes consumer surplus;

Results under non surcharge rule

Rochet&Wright (JBF 2010)

- If regulators only care about consumer surplus:
 - A conservative regulatory approach is to cap interchange fees based on retailers' net avoided costs from not having to provide credit themselves.
 - This always raises consumer surplus compared to the unregulated outcome, sometimes to the point of maximizing consumer surplus.

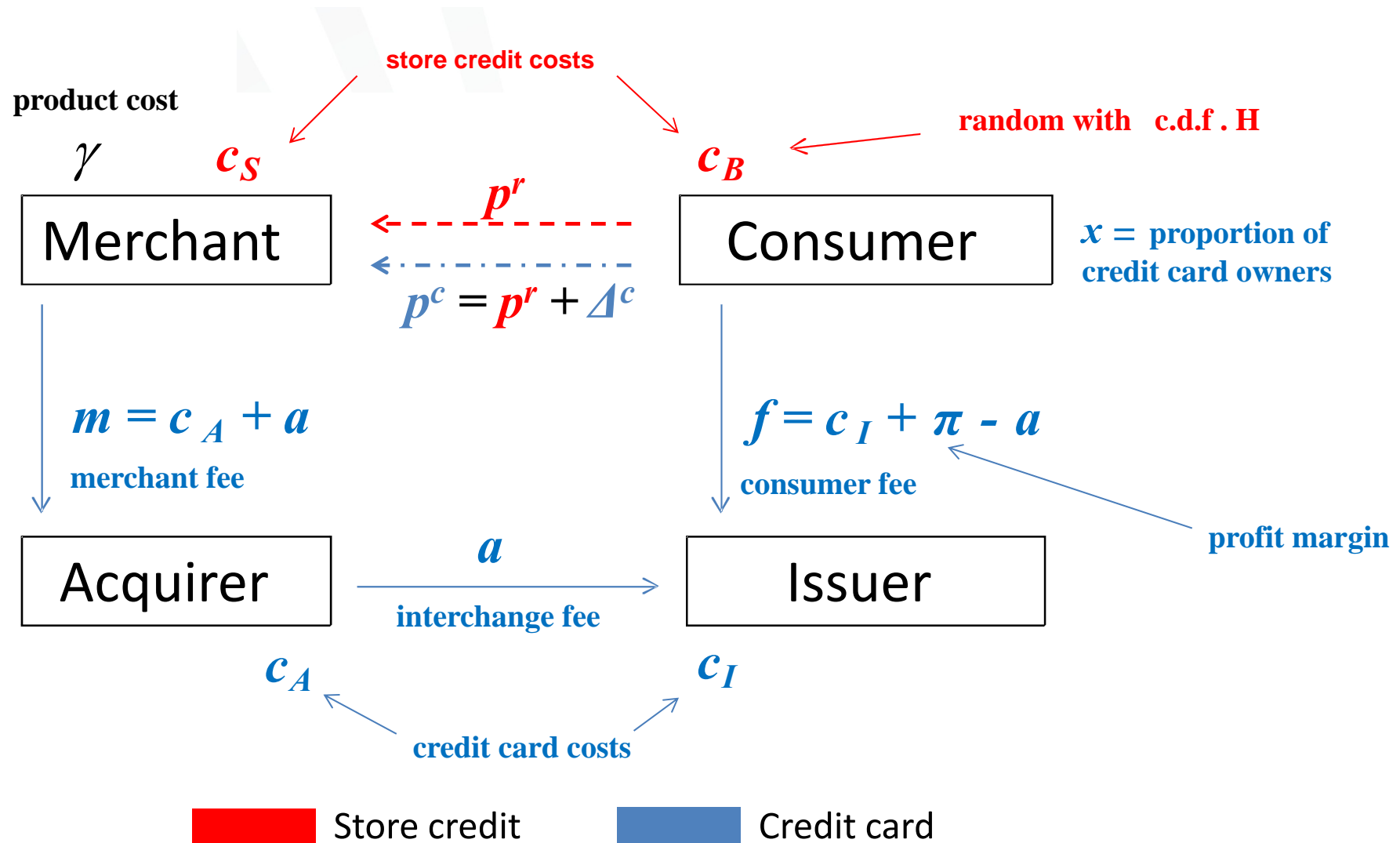
Consumer's welfare under single price equilibrium



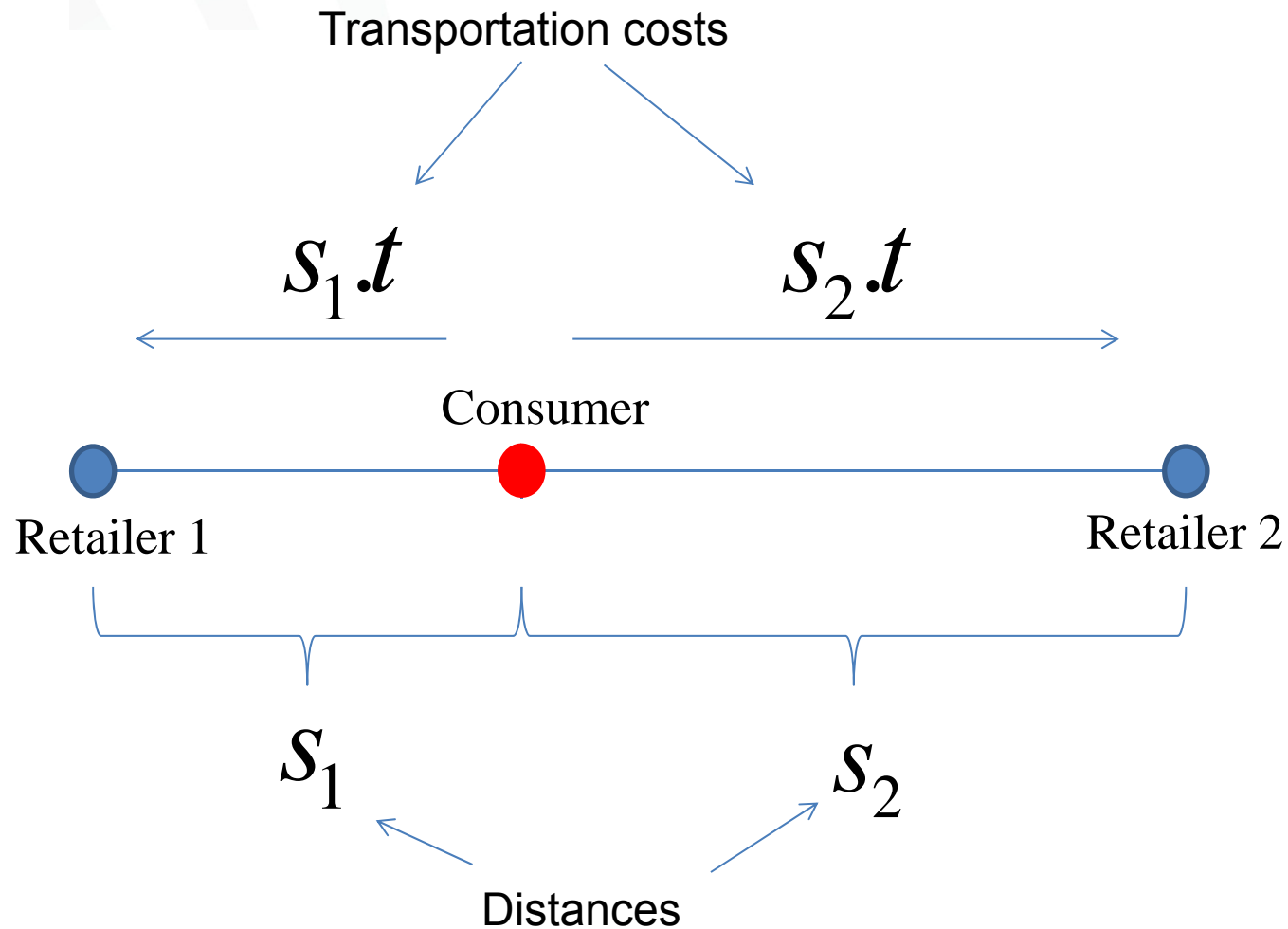
Methodology

- Three payment instruments: credit card, store credit and cash;
- Two types of purchases:
 - ordinary purchases (deterministic, using any of the three instruments)
 - extraordinary credit purchases (random, can not use cash);
- Two retailers dispute the market where consumers incur in transportation costs (Hotelling competition);
- Compute:
 - Consumers utilities;
 - Merchants market shares;
 - Merchants margins;
 - Merchants profits (margin x market share);
- Apply first order conditions to obtain equilibrium prices;

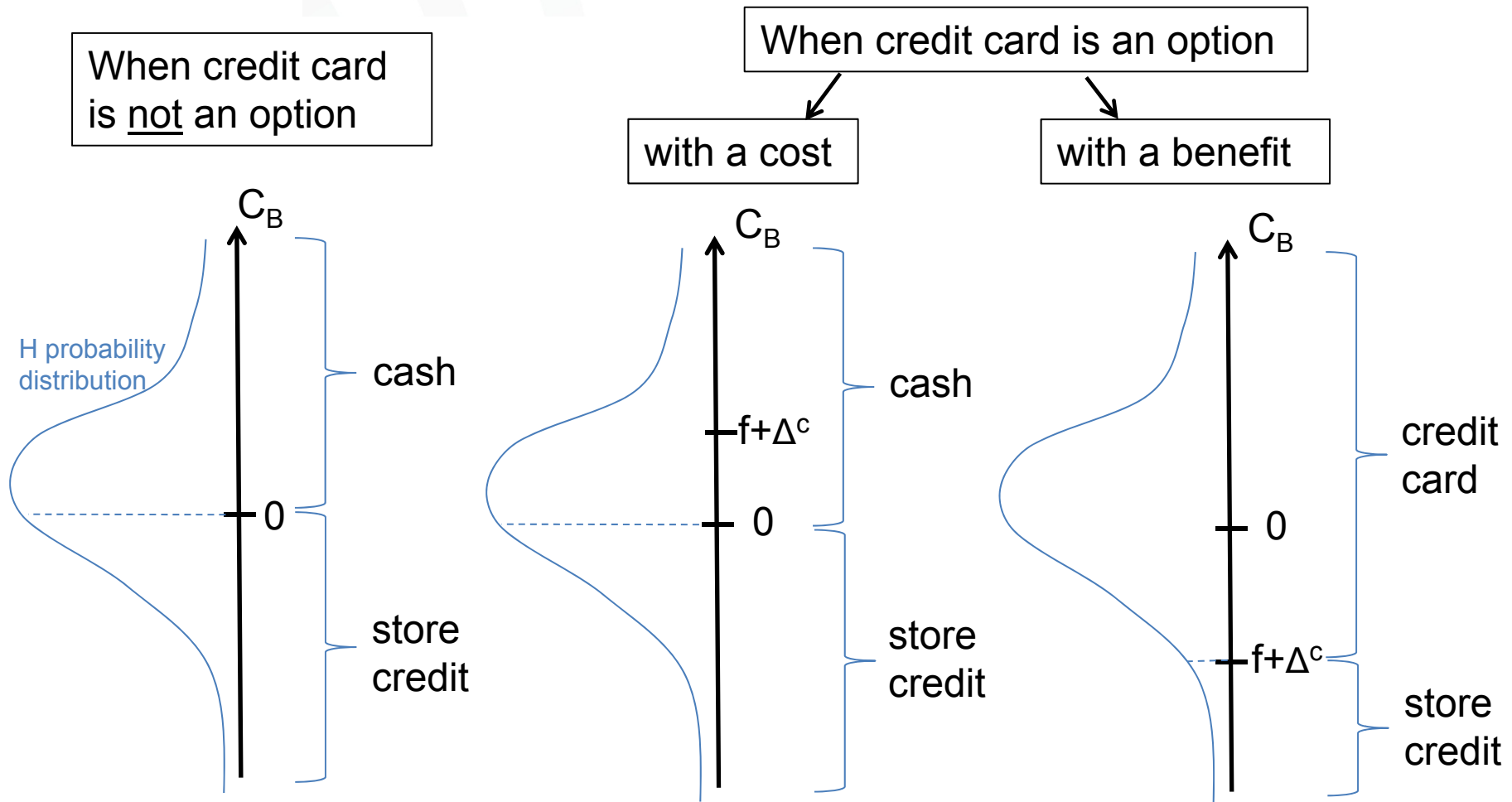
Model structure with price differentiation



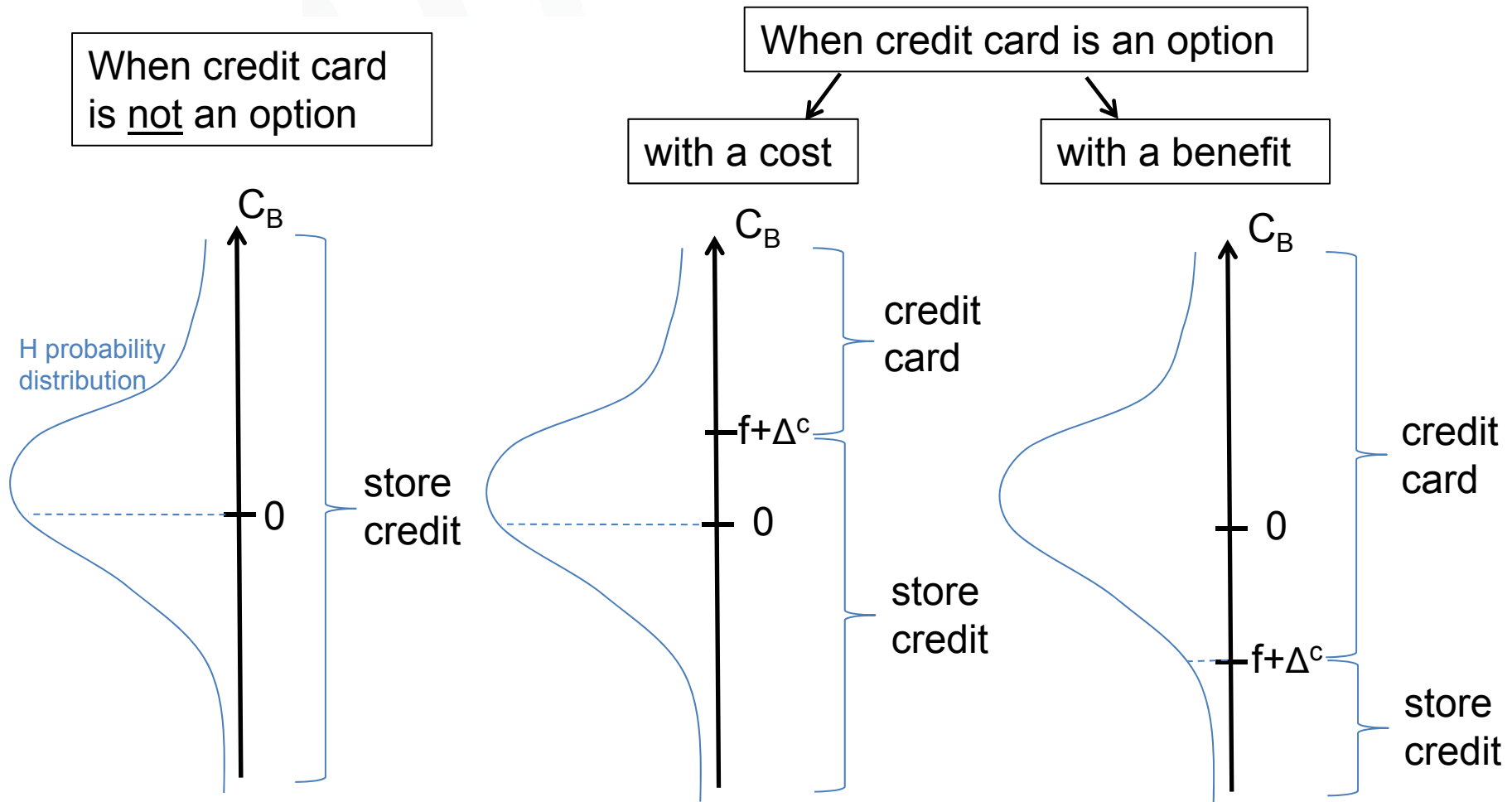
Hotelling competition with transportation costs



Store credit random cost faced by consumers (ordinary purchases)



Store credit random cost faced by consumers (extraordinary purchases)



Indicators of acceptance

- Does the consumer use of credit cards instead of cash at the retailers i ?

$$L_i^c = \begin{cases} 1 & \text{if credit card (or } f + \Delta_i^c \leq 0) \\ 0 & \text{if cash} \end{cases}$$

- Does the retailer i adhere to the credit card system?

$$L_i^r = \begin{cases} 1 & \text{if adhere system} \\ 0 & \text{otherwise} \end{cases}$$

Consumer's expected utility

$$U_i = u_0 + \theta.u_1 - (1 + \theta).p_i^r - \underbrace{\int_{\underline{c}_B}^0 c_B.dH(c_B) - \theta.E(c_B)}_{\text{Cost of the store credit transactions (if } x=0\text{)}} + x.L_i^r.\underbrace{\bar{S}(a, \Delta_i^c)}_{\text{Benefit from credit card transactions}}$$

Utility of an ordinary purchases.
 Utility of extraordinary (credit) purchase with probability θ .
 Cost of all purchases
 Cost of the store credit transactions (if $x=0$)
 Benefit from credit card transactions

where

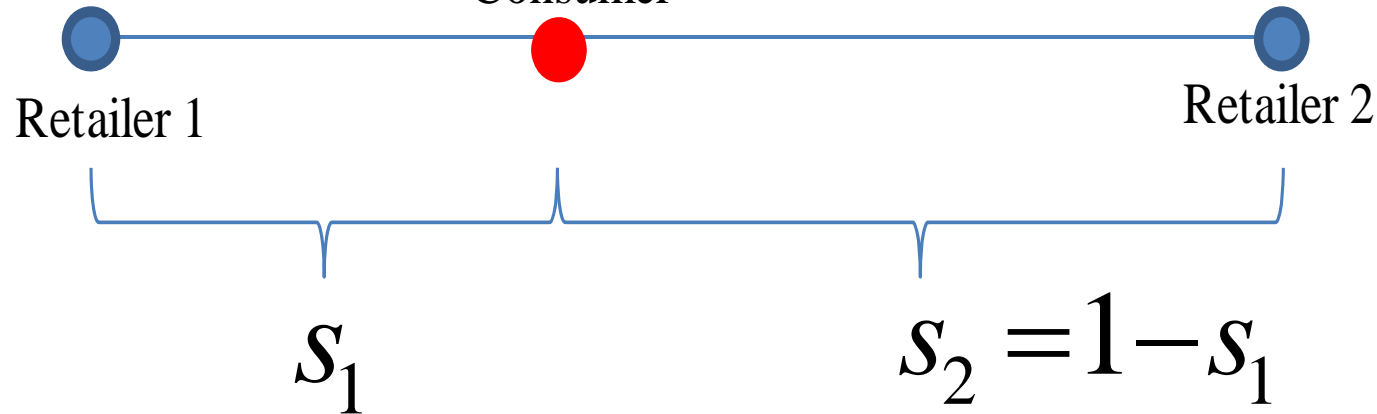
$$\bar{S}(a, \Delta_i^c) := (L_i^c + \theta) \cdot \underbrace{\left(\int_{f+\Delta_i^c}^{\bar{c}_B} (c_B - f - \Delta_i^c).dH(c_B) \right)}_{\text{Cost savings from substituting store credit for credit card}} - L_i^c \cdot \int_0^{\bar{c}_B} c_B.dH(c_B)$$

Indifferent consumer and retailers' market shares

$$U_1 - s_1 \cdot t = U_2 - s_2 \cdot t$$



Indifferent
Consumer



Retailer's market share

$$(U_i - s_i \cdot t) - (U_j - (1 - s_i) \cdot t) = 0$$

$$(1 + \theta) \cdot (p_j^r - p_i^r) + x \cdot (L_i^r \cdot \bar{S}(a, \Delta_i^c) - L_j^r \cdot \bar{S}(a, \Delta_j^c)) + t - 2 \cdot t \cdot s_i = 0$$

$$s_i = \frac{1}{2} + (1 + \theta) \cdot \left(\frac{p_j^r - p_i^r}{2 \cdot t} \right) + x \cdot \left(\frac{L_i^r \cdot \bar{S}(a, \Delta_i^c) - L_j^r \cdot \bar{S}(a, \Delta_j^c)}{2 \cdot t} \right)$$

zero when in equilibrium

Retailer's expected margin

$$M_i = \underbrace{(1 + \theta).(p_i^r - \gamma)}_{\text{Revenue net of product cost.}} - \underbrace{(H(0) + \theta).c_S}_{\text{Cost of store credit transactions (if } x=0)} - \underbrace{x.L_i^r.\bar{\Gamma}(a, \Delta_i^c)}_{\text{Cost of credit card transactions}}$$

where

$$\bar{\Gamma}(a, \Delta_i^c) := (1 + \theta). \left[1 - H(f + \Delta_i^c) \right] \underbrace{(m - \Delta_i^c - c_S)}_{\text{Cost of credit card transactions}} + [1 - H(0)].c_S$$

Retailers' profits

$$\pi_i = s_i \cdot M_i$$

Equilibrium prices under price differentiation

$$\bar{p}^r = \gamma + \left\{ \underbrace{t + (H(0) + \theta).c_s}_{\text{Use store credit when there is no cardholders.}} + \underbrace{x.(1 - H(0)).c_s}_{\text{Use the credit card instead of cash.}} \right\} \cdot \frac{1}{(1 + \theta)}$$

Subsidy to credit card users

$$\bar{p}^c = \bar{p}^r + \underbrace{m - c_s}_{\text{retailers avoided cost}}$$

$$\bar{\Delta}^c$$

Rochet & Wright's single price

$$\bar{p} = \gamma + \left\{ t + \underbrace{(H(0) + \theta).c_s}_{\text{Use store credit if there is not cardholders.}} - \underbrace{x.(H(0) - H(f)).c_s}_{\text{Abandon the store credit to use the credit card.}} + \underbrace{x.(1 - H(f)).m}_{\text{Use credit cards}} \right\} \cdot \frac{1}{1 + \theta}$$

Use store credit if
there is not cardholders.

Abandon the store credit
to use the credit card.

Use credit cards

Cross subsidies under price differentiation

1) Cash:

$$\bar{p} = \underbrace{\gamma}_{\text{Product cost}} + \underbrace{\frac{t}{1+\theta}}_{\text{Transportation Markup}} + \underbrace{\left(1 - \frac{(1-x) \cdot [1-H(0)]}{1+\theta}\right) \cdot c_s}_{\text{Subsidy paid}} + \boxed{x \cdot [1-H(f)] \cdot (m - c_s)}$$

Eliminated with price differentiation

2) Store credit:

$$\bar{p} = \underbrace{\gamma}_{\text{Store credit cost}} + \underbrace{\frac{t}{1+\theta}}_{\text{Store credit cost}} + \underbrace{c_s}_{\text{Store credit cost}} - \underbrace{\frac{(1-x) \cdot [1-H(0)]}{1+\theta} \cdot c_s}_{\text{Subsidy received}} + \boxed{x \cdot [1-H(f)] \cdot (m - c_s)}_{\text{Subsidy paid}}$$

3) Credit card:

$$\bar{p} = \underbrace{\gamma}_{\text{Merchant fee}} + \underbrace{\frac{t}{1+\theta}}_{\text{Merchant fee}} + \underbrace{m}_{\text{Merchant fee}} - \underbrace{\frac{(1-x) \cdot [1-H(0)]}{1+\theta} \cdot c_s}_{\text{Subsidy received}} - \boxed{\{1 - x \cdot [1-H(f)]\} \cdot (m - c_s)}_{\text{Subsidy received}}$$

Mean price under price differentiation

Single price

$$\bar{p} = (1 - \alpha_0) \cdot \bar{p}^r + \alpha_0 \cdot \bar{p}^c$$

where $\alpha_0 := x \cdot [1 - H(f)]$ is the proportion of credit card owners that, under no-surcharge rule, prefer credit cards.

But $\alpha_\Delta = x \cdot [1 - H(f + \bar{\Delta}^c)]$ is the proportion of credit card owners that, under price differentiation, prefer credit cards.

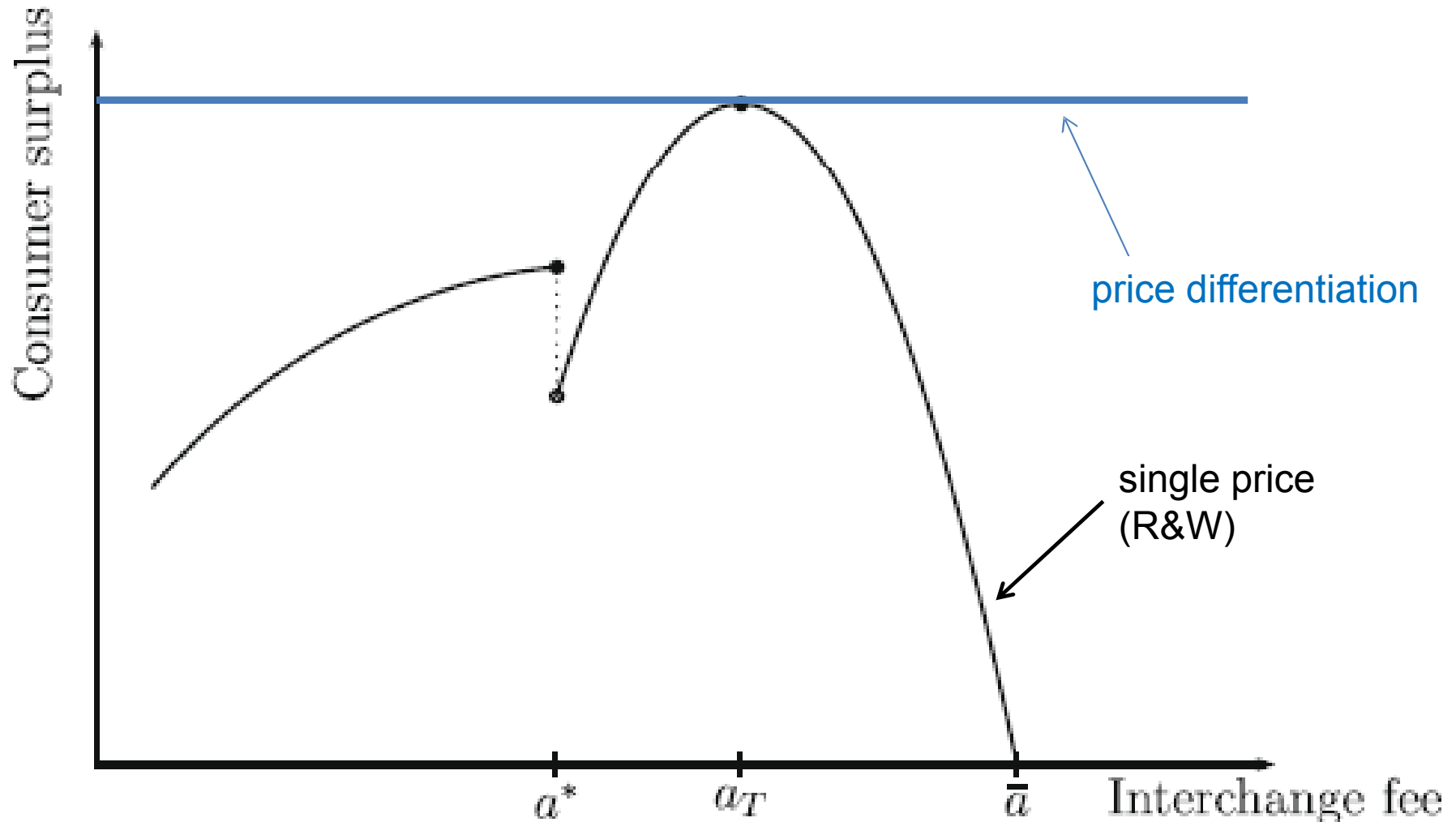
Then $\bar{\Delta}^c > 0 \Rightarrow \alpha_0 > \alpha_\Delta$ and $\bar{p}^c > \bar{p}^r$



$$\bar{p} > \underbrace{(1 - \alpha_\Delta) \cdot \bar{p}^r + \alpha_\Delta \cdot \bar{p}^c}_{\text{mean price under price differentiation}}$$

mean price under price differentiation

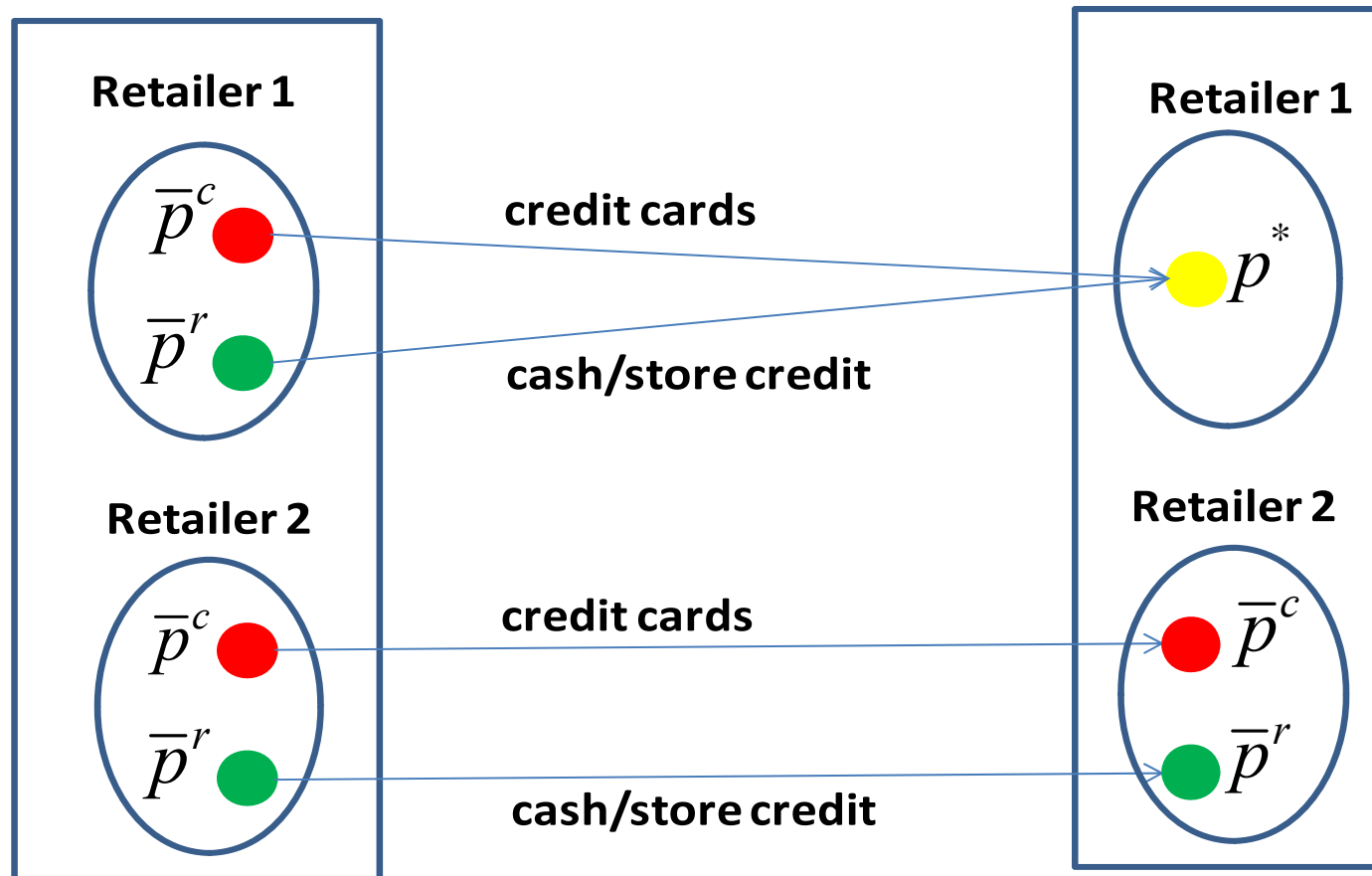
Consumers' welfare under price differentiation



Results under price differentiation

Valli&Maldonado (WP 2013)

- Unilateral movement to unique price strategy:



Retailers' profits under price differentiation

Retailers' profits		Retailer 2	
		Differential prices	Single price
Retailer 1	Differential prices	$t/2 ; t/2$	$t/2 + \varepsilon/2 ; t/2 - \varepsilon.(1-\varepsilon/2t)$
			$t/2 + \varepsilon.(1+\varepsilon/2t) ; t/2 - \varepsilon/2$
	Single price	$t/2 - \varepsilon.(1-\varepsilon/2t) ; t/2 + \varepsilon/2$	$t/2 ; t/2$
		$t/2 - \varepsilon/2 ; t/2 + \varepsilon.(1+\varepsilon/2t)$	

$$\varepsilon(a) := \frac{1}{2} \cdot x \cdot (1 + \theta) \cdot \int_{-\delta + c_S - c_A - a}^{-\delta} (-\delta - c_B) \cdot dH(c_B)$$

welfare gain of consumers and retailers from price differentiation equilibrium compared with the single price equilibrium

Margins with menu costs

$$M_i^\mu := (1 + \theta).(p_i^r - \gamma) - (H(0) + \theta).c_S - x.L_i^r.\bar{\Gamma}(a, \Delta_i^c) - \underbrace{\mu_i.I(\Delta_i^c)}_{\text{menu cost}}$$

$$\text{where } I(\Delta_i^c) := \begin{cases} 0 & ; \text{if } \Delta_i^c = 0 \\ 1 & ; \text{if } \Delta_i^c \neq 0 \end{cases}$$

Equilibrium prices under price differentiation with menu costs

$$\bar{p}_1^{r,\mu} = \bar{p}^r + \frac{1}{1+\theta} \cdot \left(\frac{2 \cdot \mu_1 + \mu_2}{3} \right) \quad \bar{p}_2^{r,\mu} = \bar{p}^r + \frac{1}{1+\theta} \cdot \left(\frac{\mu_1 + 2 \cdot \mu_2}{3} \right)$$

$$\bar{p}_i^{c,\mu} = \bar{p}_i^{r,\mu} + \bar{\Delta}^c$$

Sufficient conditions: $\mu_1 \geq \mu_2$ $t \geq \frac{\mu_1 - \mu_2}{3}$ $\varepsilon(a) > \frac{\mu_1}{2}$

Retailers' profits under price differentiation with menu costs

Retailers' profits under price differentiation and menu costs		Retailer 2	
		Differential Prices	Single Price
Retailer 1	Differential prices	$t/2 \cdot (1-\alpha)^2 ; t/2 \cdot (1+\alpha)^2$	$t/2 \cdot (1-\alpha) \cdot (1-\alpha+\beta_2) ; t/2 \cdot (1+\alpha-\beta_2)^2$
	Single price	$t/2 \cdot (1-\alpha-\beta_1)^2 ; t/2 \cdot (1+\alpha) \cdot (1+\alpha+\beta_1)$	$t/2 \cdot (1+\beta_1)^2 ; t/2 \cdot (1-\beta_1)^2$
		$t/2 \cdot (1-\beta_2) ; t/2 \cdot (1+\beta_2)^2$	$t/2 ; t/2$

$$0 < \alpha := \frac{1}{t} \cdot \left(\frac{\mu_1 - \mu_2}{3} \right) < 1$$

$$0 < \beta_i(a) := \frac{1}{t} \cdot \left(\varepsilon(a) - \frac{\mu_i}{2} \right) < 1$$

Conclusions

- **Without menu costs:**
 - **Single price is not equilibrium:** there are incentives to decide unilaterally to surcharge card transactions;
 - **There is equilibrium with differential prices:** the equilibrium surcharge, or spread, is equal to the merchant fee minus the cost of the store credit (“retailer’s net avoided cost”: $m - c_s$);
 - **The interchange fee becomes neutral:** does not affect card usage;
 - **Merchants are indifferent with respect the non-surcharge rule:** same profit with or without differentiation;
 - **Consumers obtain maximum welfare:** the welfare under differentiation is equal to the maximum utility under non-surcharge, independently of the interchange rate (neutral) ;

Conclusions

- **With menu costs:**
 - **Interchange fee is not neutral anymore:**
 - **If low:** single price equilibrium;
 - **If high:** differential prices equilibrium;
 - **Endogenous cap:** a high interchange fee can deviate merchants from the single price, limiting the market power of the credit card system (“excessive” usage of credit cards);
 - **Retailer with the highest (smallest) menu cost have a smaller (higher) profit than under no-surcharge single price equilibrium;**
 - **Card system has a smaller profit, because the volume of transactions decrease;**
 - **Consumers increase welfare compared with non-surcharge single price equilibrium, despite the menu costs.**

THE END

Thank you!!

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